

Value of Flexibility

an introduction

using a spreadsheet analysis of a multi-story parking garage

Developed from
“Valuing Options by Spreadsheet: Parking Garage Case
Example,” ASCE J. of Infrastructure Systems
R. de Neufville, S. Scholtes, and T. Wang

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Slide 1 of 23

Intended “Take-Aways”

- Design for fixed objective (mission or specifications) is engineering base case
- Recognizing variability => different design (because of system non-linearities)
- Recognizing flexibility => even better design (it avoids costs, expands only as needed)

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Value at Risk Concept

- Value at Risk (VAR) recognizes fundamental reality: actual value of any design can only be known probabilistically
- Because of inevitable uncertainty in
 - Future demands on system
 - Future performance of technology
 - Many other market, political factors

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Slide 3 of 23

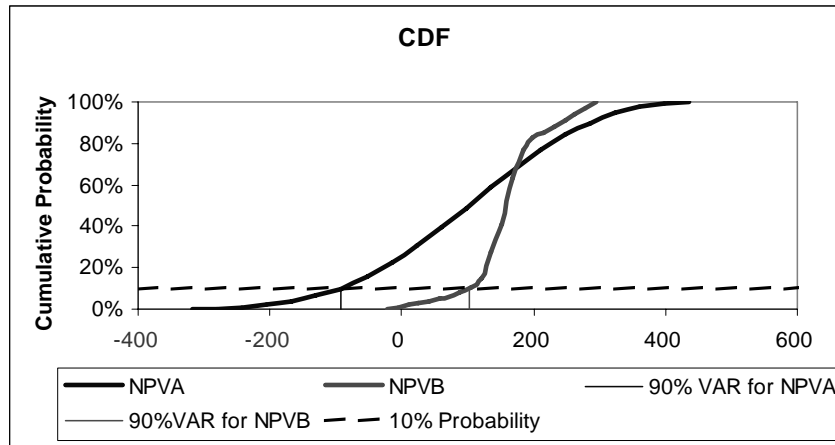
Value at Risk Definition

- Value at Risk (VAR) definition:
 - A loss that will not be exceeded at some specified confidence level
 - “We are p percent certain that we will not lose more than V dollars for this project.”
- VAR easy to see on cumulative probability distribution (see next figure)

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- Look at distribution of NPV of designs A, B:
 - 90% VAR for NPVA is -\$91
 - 90% VAR for NPVB is \$102

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Notes:

- Cumulative distribution function (CDF) shows the probability that the value of a variable is \leq to quantity on x axis
- VAR can be found on the CDF curve:
 - 90% VAR \Rightarrow 10% probability the value is less or equal
 - NPV corresponding to the 10% CDF is 90% VAR

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VAR and Flexibility

- VAR is a common financial concept
- It stresses downside losses, risks
- However, designers also need to look at upside potential: “Value of Gain”
- Flexible design provides value by both:
 - Decreasing downside risk
 - Increasing upside potential
 - See next figure

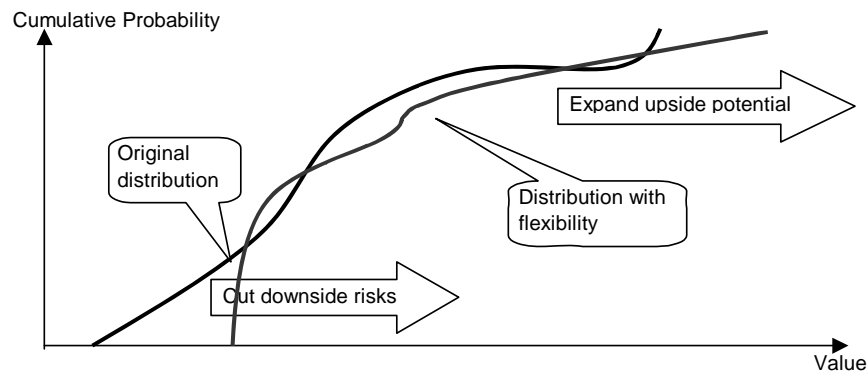
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Sources of value for flexibility

Cut downside ; Expand Upside



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Excel Analysis Sequence to illustrate value of flexibility

- 1: Examine situation without flexibility
 - This is Base case design
 - 2: Introduce variability (simulation)
 - => a different design (in general)
 - 3: Introduce flexibility
 - => a even different and better design
- Note: Excel simulation techniques taught in ESD.70

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Parking Garage Case

- Garage in area where population expands
- Actual demand is necessarily uncertain

- Design Opportunity: Stronger structure
 - enables future addition of floor(s) (flexibility)
 - Requires extra features (bigger columns, etc)
 - May cost less !!! Because can build smaller
- Design issue: is flexibility worthwhile?

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Parking Garage Case details

- Demand
 - At start is for 750 spaces
 - Over next 10 years is expected to rise exponentially by another 750 spaces
 - After year 10 may be 250 more spaces
 - could be 50% off the projections, either way;
 - Annual volatility for growth is 10%
- Average annual revenue/space used = \$10,000
- The discount rate is taken to be 12%

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Parking Garage details (Cont)

- Costs
 - annual operating costs (staff, cleaning, etc.) = \$2,000 /year/space available
(note: spaces used is often < spaces available)
 - Annual lease of the land = \$3.6 Million
 - construction cost = \$16,000/space + 10% for each level above the ground level
- Site can accommodate 200 cars per level

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Slide 12 of 23

Step 1: Set up base case

Demand growth as predicted, no variability

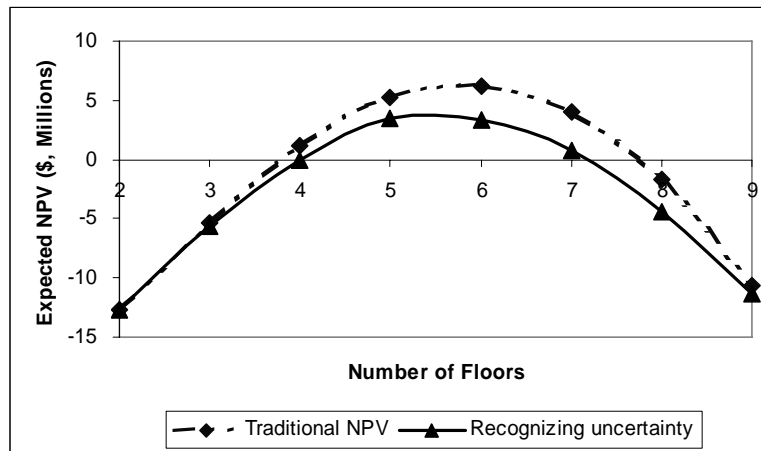
Year	0	1	2	3	19	20
Demand		750	893	1,015	1,688	1,696
Capacity		1,200	1,200	1,200	1,200	1,200
Revenue		\$7,500,000	\$8,930,000	\$10,150,000	\$12,000,000	\$12,000,000
Recurring Costs						
Operating cost		\$2,400,000	\$2,400,000	\$2,400,000	\$2,400,000	\$2,400,000
Land leasing cost	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000
Cash flow		\$1,500,000	\$2,930,000	\$4,150,000	\$6,000,000	\$6,000,000
Discounted Cash Flow		\$1,339,286	\$2,335,778	\$2,953,888	\$696,641	\$622,001
Present value of cash flow	\$32,574,736					
Capacity costs for up to two levels	\$6,400,000					
Capacity costs for levels above 2	\$16,336,320					
Net present value	\$6,238,416					

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Slide 13 of 23

Optimal design for base case (no uncertainty) is 6 floors

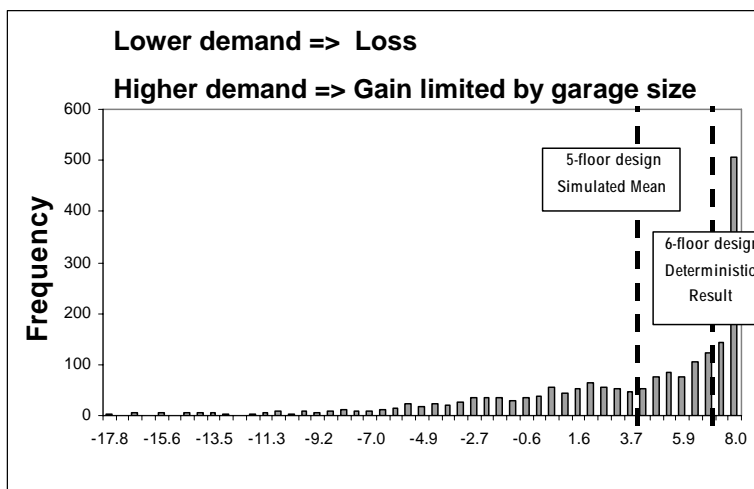


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Slide 14 of 23

Step 2: Simulate uncertainty



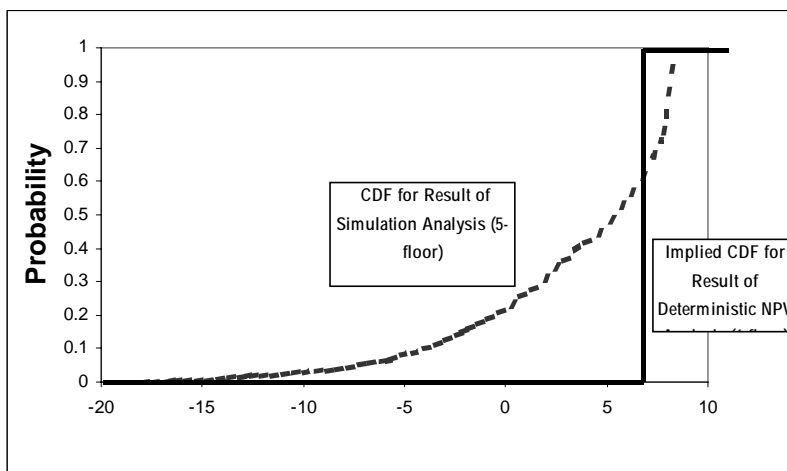
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Slide 15 of 23

NPV Cumulative Distributions

Compare Actual (5 FI) with unrealistic fixed 6 FI design

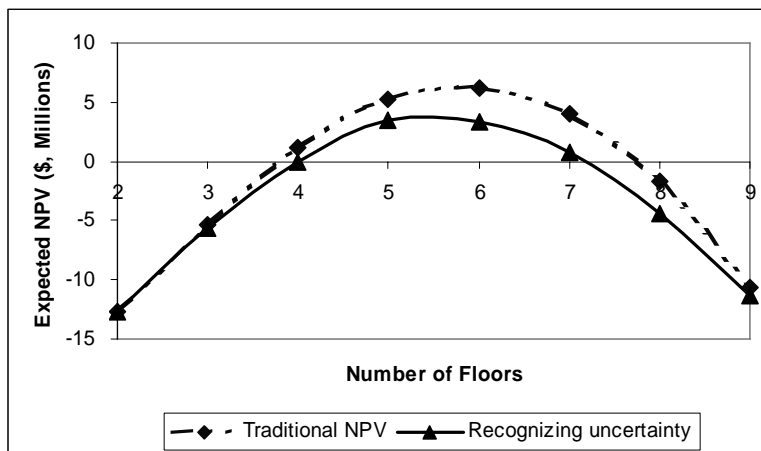


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Recognizing uncertainty => different design (5 floors)



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Step 3: Introduce flexibility into design (expand when needed)

Year	0	1	2	3	19	20
Demand		820	924	1,044	1,519	1,647
Capacity		800	800	1,200	1,600	1,600
Decision on expansion			expand			
Extra capacity			400			
Revenue		\$8,000,000	\$8,000,000	\$10,440,000	\$15,190,000	\$16,000,000
Recurring Costs						
Operating cost		\$1,600,000	\$1,600,000	\$2,400,000	\$3,200,000	\$3,200,000
Land leasing cost	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000	\$3,600,000
Expansion cost			\$8,944,320			
Cash flow		\$2,800,000	-\$6,144,320	\$4,440,000	\$8,390,000	\$9,200,000
Discounted Cash Flow		\$2,500,000	-\$4,898,214	\$3,160,304	\$974,136	\$953,734
Present value of cash flow	\$30,270,287					
Capacity cost for up to two levels	\$6,400,000					
Capacity costs for levels above 2	\$7,392,000					
Price for the option	\$689,600					
Net present value	\$12,878,287					

Including Flexibility => Another, better design:

4 Floors with strengthened structure enabling expansion

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Slide 18 of 23

Summary of design results from different perspectives

Perspective	Simulation	Option Embedded	Design	Estimated Expected NPV
Deterministic	No	No	6 levels	\$6,238,416
Recognizing Uncertainty	Yes	No	5 levels	\$3,536,474
Incorporating Flexibility	Yes	Yes	4 levels with strengthened structure	\$10,517,140

Why is the optimal design much better when we design with flexibility?

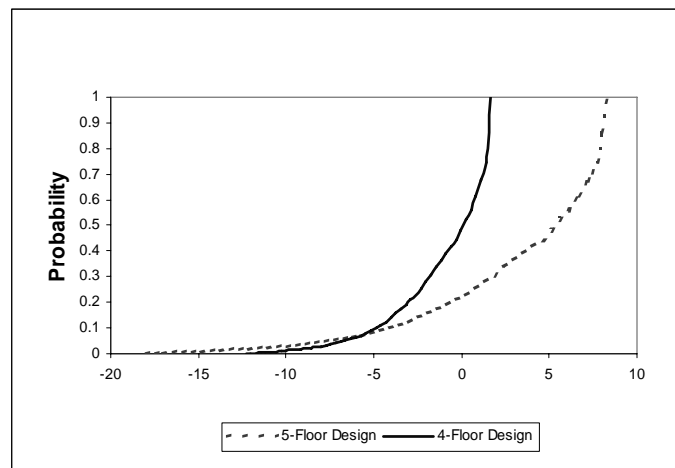
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Slide 19 of 23

Sources of value for flexibility:

1) Minimize exposure to downside risk

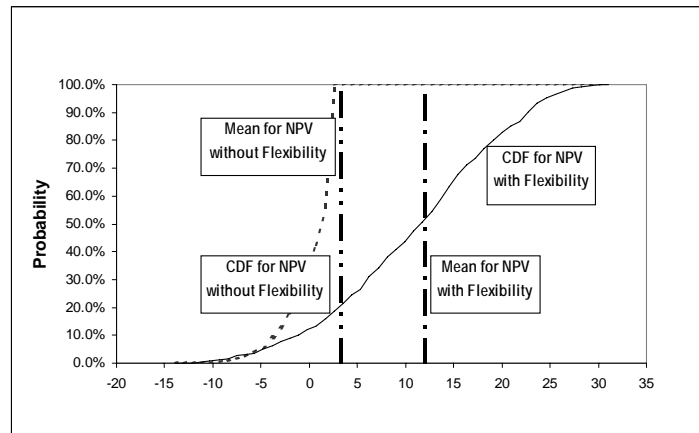


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Sources of value for flexibility: 2) Maximize potential for upside gain



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Comparison of designs with and without flexibility

Design	Design with Flexibility Thinking (4 levels, strengthened structure)	Design without Flexibility thinking (5 levels)	Comparison
Initial Investment	\$18,081,600	\$21,651,200	Better with options
Expected NPV	\$10,517,140	\$3,536,474	Better with options
Minimum Value	-\$13,138,168	-\$18,024,062	Better with options
Maximum Value	\$29,790,838	\$8,316,602	Better with options

Wow! Everything is better! How did it happen?

Root cause: change the framing of design problem

From: focus on a (mythical) forecast or set of specs

To: managing (realistic) uncertainties by flexibility

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Summary

- Sources of value for flexibility
 - Cut downside risk
 - Expand upside potential
- VAR chart is a neat way to represent the sources of value for flexibility
- Spreadsheet with simulation is a powerful tool for estimating value of flexibility